

# Reproducibility of currents and water masses in the North Pacific subarctic region in MOVE/MRI.COM

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## 1. Introduction

### Kuroshio-Oyashio (K-O) confluence zone:

- Complicated frontal structures.
- Energetic mesoscale eddy activity.

→ Suitable for evaluation of high-resolution DA system (Sec.3).

### Temperature inversion (T-inv) in the subarctic North Pacific:

- Subsurface T-min and underlying T-max.
- T-min: formed by seasonal cycle of surface cooling and heating.
- Preserve wintertime atmospheric conditions.

- T-max: warm and saline water transport from K-O region.
- Heat reservoir.

- Understanding of T-inv is limited to climatological mean state due to lack of observation.

→ DA system would be useful for understanding T-inv variations (Sec.4).

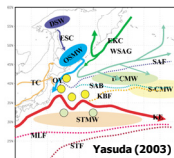


Fig. 1: Schematic illustration of the near-surface current, front and water-mass structure in the K-O confluence zone.

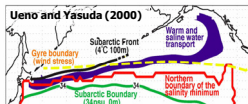


Fig. 2: Distribution of warm and saline cross gyre flow.

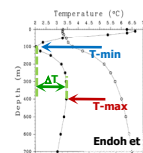


Fig. 3: Annual mean T-S profiles at (50°N, 165°E)

## 2. Description of MOVE/MRI.COM and experiments

### MOVE/MRI.COM-WNP & -NP

MRI.COM (Ishikawa et al. 2005, Tsujino et al. 2006):

MRI community ocean model

- z-coordinate, free-surface model
- Western North Pacific model (WNP): 15°-65°N, 117°-200°E, 1/10° × 1/10°, L54
- North Pacific model (NP) : 15°S-65°N, 117°-200°E, 1/2° × 1/2°, L54
- Biharmonic Smagorinsky viscosity + harmonic background viscosity (WNP)
- Mellor and Blumberg (2004) mixed layer model
- One-way nesting (NP → WNP)

MOVE (Usui et al. 2006):

MRI Multivariate Ocean Variational Estimation system

- 3DVAR with vertical coupled T-S EOF modes (Fujii & Kamachi 2003)
- Incremental Analysis Update (Bloom et al. 1996)

Cost function:  $J(y) = \frac{1}{2} \sum_{i=1}^n y^T B_i^{-1} y + \frac{1}{2} \sum_{j=1}^m \left( \frac{H(x_j) - x_j}{\sigma_j} \right)^2 + J_e$

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$H(x) = \frac{1}{\rho_0} \int_{z_0}^z \rho(T, S, p) dz$  (observation function for SSH)  
 $x(y) = x_j + S \sum_{i=1}^m U_i A_i y_i$  (reconstruction of T-S from y)  
 $J_e = \sum_{i=1}^m \frac{1}{2} y_i^T U_i^T U_i y_i$  (amplitude of T-S EOF modes)  
 $B_i = \sigma_i^2 U_i^T U_i$  (background)  
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U: A matrix composed of dominant T-S EOFs  
 S: Standard deviation of T and S  
 A: Singular values of the EOFs

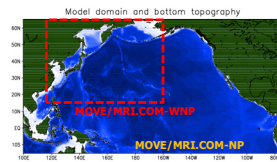


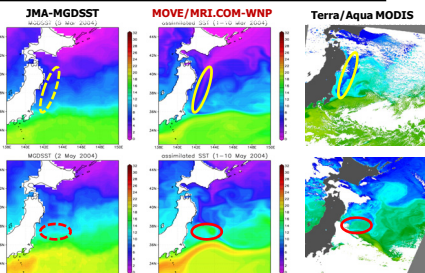
Fig. 4: Model domain and bottom topography.

### Assimilation experiment:

- Period:
  - (WNP) Jan 2001 – Dec 2004
  - (NP) Jan 1985 – Dec 2007
- Assimilation window:
  - (WNP) 5 days
  - (NP) 1/3 month (~10days)
- Observation data:
  - SSHA (T/P, Jason-1, ERS, ENVISAT)
  - SST (MGDSST: Japan GHRSSST)
  - WOD1, GTSP
- Forcing: JRA-25/JCDAS (Onogi et al. 2007)

## 3. Reproducibility in the K-O confluence zone and improvements of the analysis scheme

### Reproducibility of MOVE/MRI.COM in the K-O region

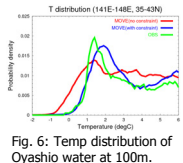


Mesoscale variabilities such as Oyashio coastal branch and warm-core eddy are well reproduced.

Fig. 5: Comparison of SST fields with observations.

### Some issues of the assimilated field and their improving strategies

#### Issue-1: Excessively low temperature of Oyashio water



Low temperature estimates arise from non-Gaussian temperature distribution of Oyashio water.

→ Adding a constraint to the cost function:

$$J_e = \frac{w}{32} [T(x) - T_c - |T(x) - T_c|]^4$$

$T_c = 0.5^\circ\text{C}$ ,  $w = 1.0$

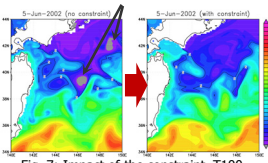
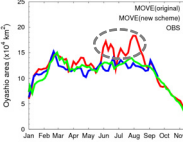


Fig. 7: Impact of the constraint. T100 distributions (left) without and (right) with constraint.

#### Issue-2: Overestimate of Oyashio area



In summer, MOVE tends to overestimate Oyashio area (T at 100m < 5°C).

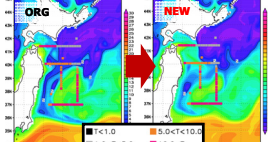


Fig. 9: Impact of the new scheme. T100 distributions are compared with in-situ observations.

### → Flow-dependent B matrix:

$$B_{ij} = \exp \left[ -\frac{\Delta x_i^2}{2\sigma_i^2} - \frac{\Delta x_j^2}{2\sigma_j^2} - \frac{\Delta x_i \Delta x_j}{2\sigma_{ij}^2} \right]$$

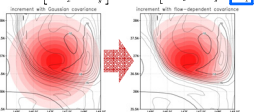


Fig. 10: Increment in single-observation experiment.

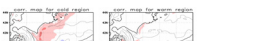


Fig. 11: Corr. map of T100 estimated from model simulation

### → Application of non-Gaussian pdf to the variational QC:

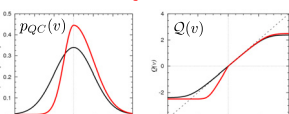


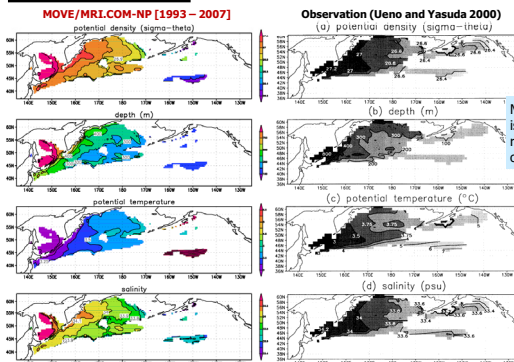
Fig. 12: (left) Obs pdf and (right) Q(v).

$$p_{QC}(y|x) \propto \exp \left[ -\frac{Q(v)^2}{2} \right]$$

$$v = \frac{y - H(x)}{\sigma}$$

## 4. Temperature inversions in the subarctic North Pacific (SNP)

### Annual mean field



Mean state of MOVE/MRI.COM is quantitatively well reproduced compared with observation.

Fig. 5: Annual mean T-inv distribution. Potential density, depth, temperature and salinity at T-max depth are compared with observation.

### Interannual variability

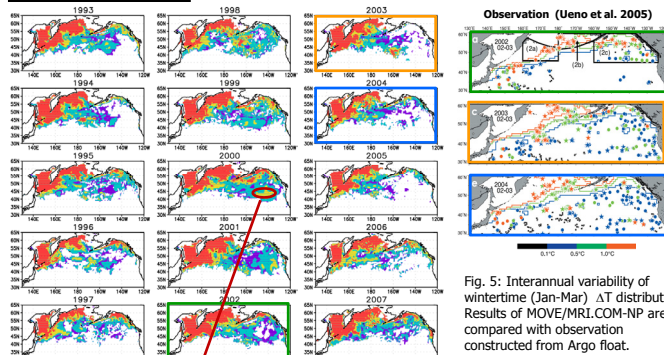


Fig. 5: Interannual variability of wintertime (Jan-Mar) ΔT distribution. Results of MOVE/MRI.COM-NP are compared with observation constructed from Argo float.

- In the eastern SNP, T-inv shows large variability.
- From 1999 to 2001, large T-inv occurs accompanying cold SSTA.
- DA results indicate that horizontal advection is responsible for the cold SSTA formation.

### T-inv variation in the eastern SNP

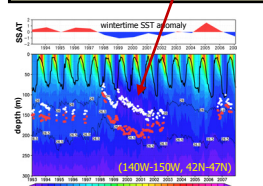


Fig. 5: (Top) wintertime SSTA, (bottom) time sequence of T-inv structure in the eastern SNP.

### Mixed Layer Heat Budget:

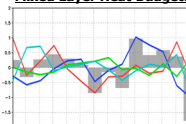


Fig. 5: Heat budget of ML T-anom averaged over 140-150W, 42-47N.

$$\frac{\partial T_m}{\partial t} = \frac{1}{h_m} \left[ Q_s - \int_{z_0}^z \frac{\partial T}{\partial z} dz + \frac{\partial T}{\partial t} \right] + \int_{z_0}^z \mathcal{D}_y(T) dz - \kappa_m \frac{\partial T}{\partial z} \Big|_{z=z_0} + \epsilon + \int_{z_0}^z \mathcal{D}_z(T) dz$$

tendency   Net   advection   hor. diff   vert. diff (BC)   entrainment (unknown residual)